

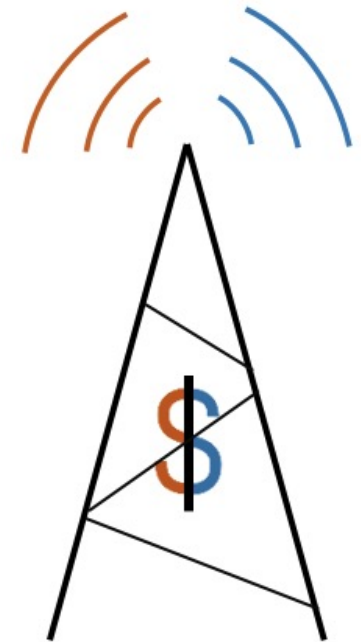
# Optimization of infrastructure sharing in telecommunications networks

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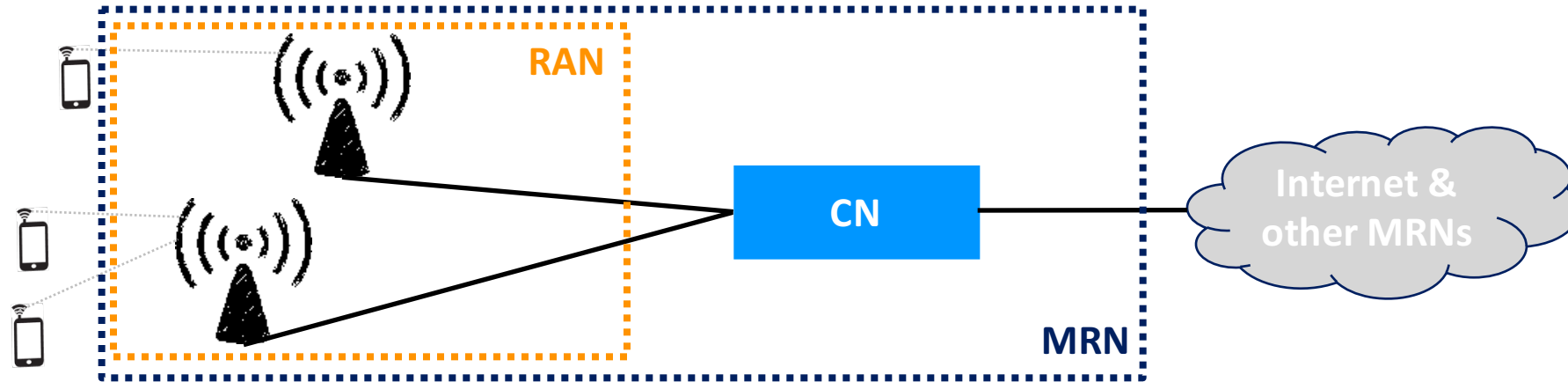
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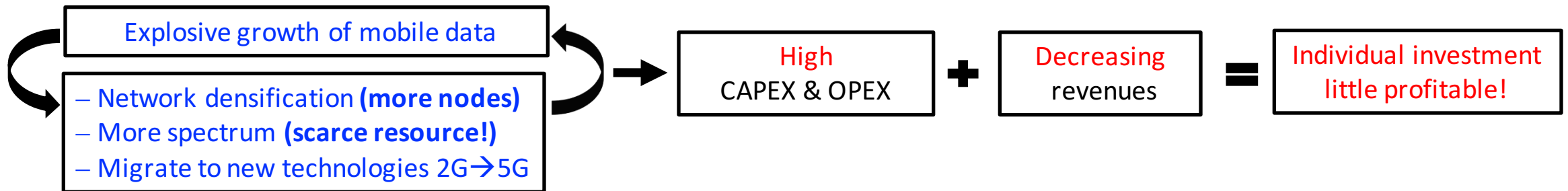
# Context and motivation

RAN: Radio Access Network  
MRN: Mobile Radio Network  
CN: Core network  
MNO: Mobile Network Operator



**Infrastructure sharing:** joint use and/or deployment of a subset/all network elements by at least two MNOs.

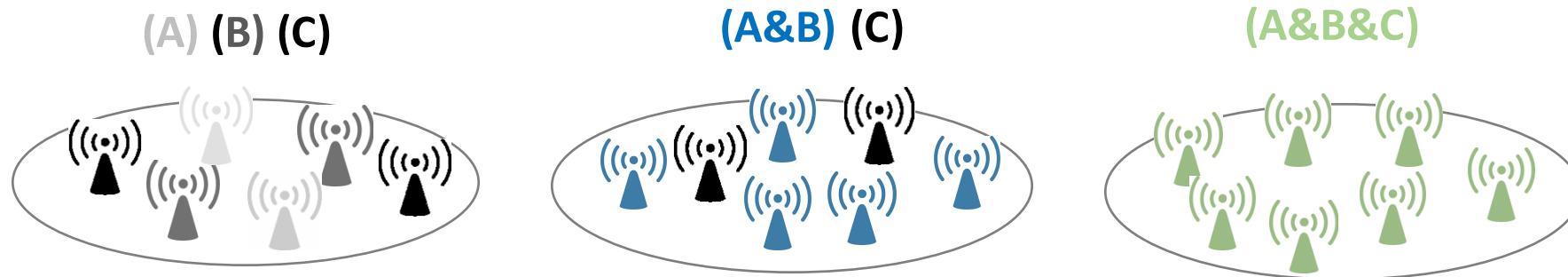
## Why do MNOs need to share?



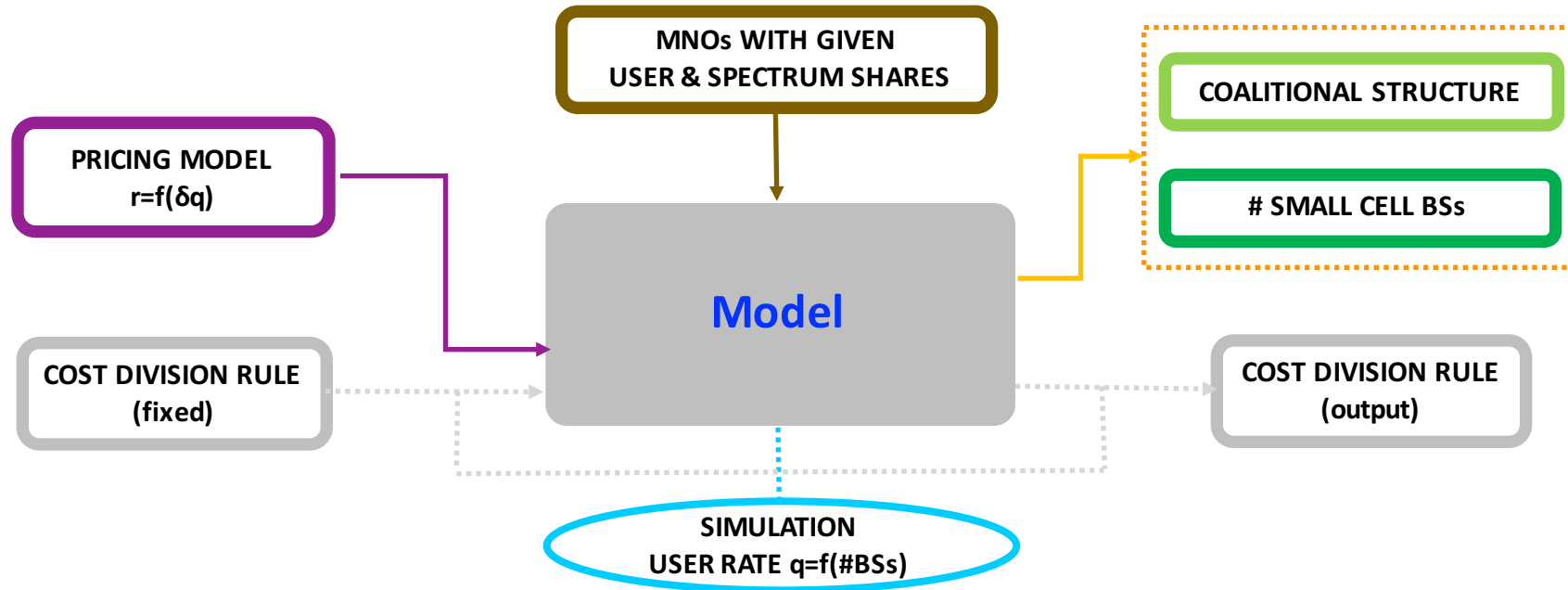
Infrastructure sharing → lower CAPEX + OPEX  
Spectrum sharing → higher utilization

# Research project

- **Research question:** Under which technical, economic and regulatory settings are MNOs incentivized to enter long-term sharing agreements?
- **Methodology:** Mathematical programming & game theory
- **Baseline Scenario:**
  - A set of MNOs with fixed market shares coexist over a (set) of geographical area(s)
  - MNOs plan to upgrade their network by deploying a layer of LTE small cell Base Stations (BSs)
  - Problem: determine the coalitions that will be created and # of BS they activate



# Schematic representation & assumptions



- **Quality of service:**
  - Users of a coalition have the same quality of service
- **Cost division rule:**
  - **Fixed:** according to the market share
  - **Output of the model:** cost divisions that guarantee coalition stability
- **Spectrum sharing:**
  - w/o spectrum pooling:** each BS has a fixed amount of spectrum, despite the size of coalition activating it
  - w/ spectrum pooling:** each MNO contributes with a given amount of spectrum, members of a coalition pool together their available spectrum

# Modeled scenarios

## [1]: **w/o spectrum pooling + fixed cost division rule**

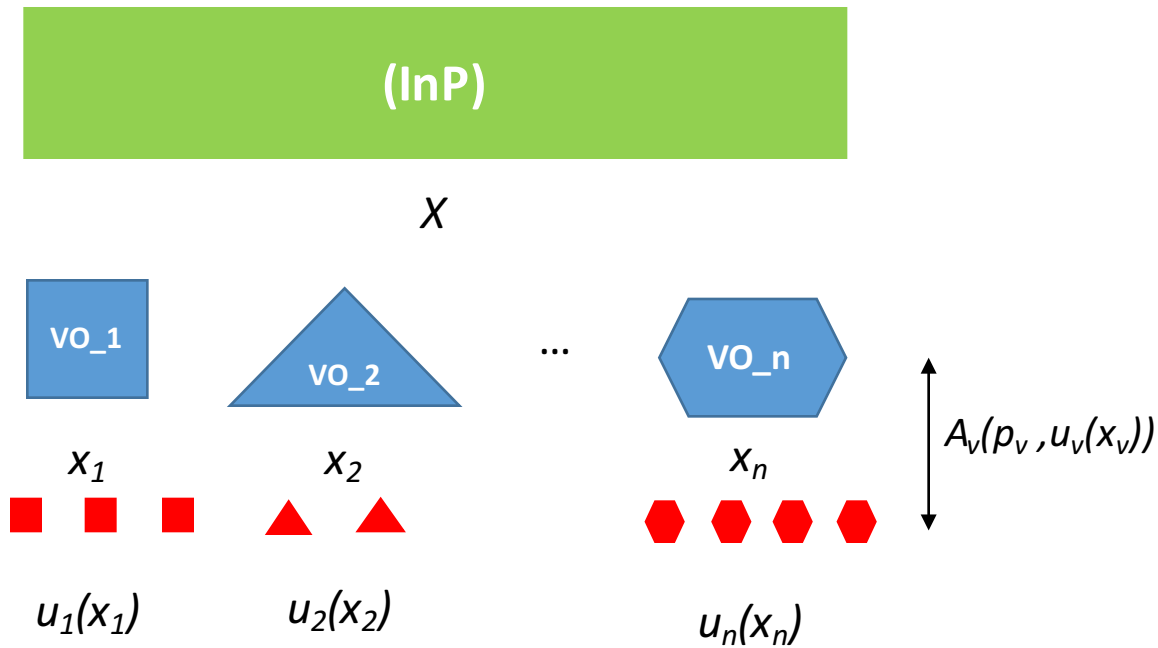
- **Two types of coalitional structures:**
  - **Socially optimal:** (imposed by a regulator) maximizing the quality of service – **MILP formulation**
  - **Stable:** maximizing each MNO profit (revenues-cost) - **Non Transferable Utility (NTU) cooperative game**
- **Key findings:**
  - Assume 3 MNOs A, B, C with # of users  $n_A < n_B < n_C$ : as we increase  $\delta$ , the outcomes are (ABC)...(AB,C)...(A,B,C)
  - Generally more incentive to collaborate to maximize MNOs' individual profits w.r.t. maximizing the quality of service
  - **Infrastructure sharing w/o spectrum pooling: Tradeoff between cost reduction and service degradation due to contention → when users are willing to pay more, MNOs and users are better off if no sharing occurs!**

## [2] & [3]: **w/ spectrum pooling + cost division rule outcome of the game**

- **Stable coalitional structures: GNEP [2] and NTU and TU cooperative games [3]**
- **Key findings:**
  - Fixed cost division rule not necessarily stable (not in the core)
  - Cost division rule suggests a way to reward MNOs providing more spectrum and introducing little contention
  - **Infrastructure sharing w/ spectrum pooling: Service degradation due to contention outweighed by spectrum pooling gain!**

[1] L.Cano, A.Capone, G.Carello, M.Cesana and M.Passacantando, "On optimal infrastructure sharing strategies in mobile radio networks", IEEE Transactions on Wireless Communications, February 2017  
[2] L.Cano, A.Capone, G.Carello, M.Cesana and M.Passacantando, "Non-cooperative game approach for RAN and spectrum sharing in mobile radio networks", European Wireless, May 2016  
[3] L.Cano, A.Capone, G.Carello, M.Cesana and M.Passacantando "Cooperative infrastructure and spectrum sharing in heterogeneous networks" in IEEE Journal of Special Areas in Communications, September 2016

# Ongoing work



## Infrastructure Provider (InP)

- Zero profit entity which deploys and maintains a unique network infrastructure over a set of planning periods: **multi-period facility location problem**
- Has estimates of the aggregate user demand in each period
- Objective: **Min-cost** network providing a **minimum quality of service** for all users

## Virtual Operators (VO)

- VO  $v$  selects the amount of resource  $x_v$  (out of the available  $X$ ) to maximize its payoff  $g_v = r_v(x_v) - c_v(x)$
- Serves identical users characterized by the same utility function  $u_v(x_v)$
- Determines the price  $p_v$  maximizing their profit based on the user acceptance probability function

## Users

- Characterized by an acceptance probability  $A_v(p_v, u_v(x_v))$



## How to divide the total resource $X$ of an active BS?

- Strategy of VO  $v$ :  $x_v$
- Payoff from strategy profile  $\mathbf{x} = \{x_v\}_{v=1..n}$ :  $g_v = r_v(x_v) - c_v(\mathbf{x})$

Nash Equilibria not always on the Pareto frontier  $\rightarrow$  Nash bargaining for non convex payoff domain

**Thank you for your attention 😊**